## INTERMEDIATE SCIENCE 9 <br> UNIT 1: SPACE <br> WORKSHEET \# 4: EARLY EXPLORERS OF THE UNIVERSE

Astronomy is the study of objects and matter that lie outside the earth`s atmosphere. Without leaving the earth, astronomers explore the universe and observe how planets, stars, and other extraterrestrial phenomena are formed, how they evolve, what they are made of, how they move, and the distance between them. Outlined below are the contributions of some early explorers of the universe.

| Name of Astronomer | Date | Country of Origin | Notes |
| :---: | :---: | :---: | :---: |
| 1. Aristotle | 383-322B.C.E. | Greece | Geocentric universe has Earth at the centre and the Sun, Moon, planets, and stars revolving around it <br> He believed that the Earth was a sphere due to the curved edges observed during a lunar eclipse. |
| 2. Ptolemy | 83-168 C.E. | Egypt | Based his model on his observations of Mars. <br> Retrograde Motion: an apparent switch in the celestial body from eastward to westward motion, as viewed from the earth <br> He believed that each planet revolved around a point on its orbit, called an epicycle, to explain its motion through the heavens. |


| 3. Copernicus | Heliocentric universe the Sun was at the centre and the <br> planets revolved around the Sun. |  |
| :--- | :--- | :--- |
| 4. Galileo |  | Italy <br> E. Newton |
| England | First person to view the "heavens" through a telescope <br> He observed: <br> $-C r a t e r s ~ o n ~ t h e ~ M o o n ~$ <br> $-S p o t s ~ o n ~ t h e ~ S u n ~$ |  |
| - Four " stars" orbiting Jupiter (called the Galilean |  |  |
| Moons) |  |  |
| Invented the reflecting telescope which uses a curved |  |  |
| mirror to focus the light to a point at an eyepiece. |  |  |

## Student Activity - Easy Ellipses

Almost 400 years ago, Johannes Kepler, a German astronomer, concluded that all the planets orbit the Sun in ellipses, not circles. His studies helped explain the often confusing paths of the planets relative to each other. In this activity, you will construct a number of different-sized ellipses.

## Materials:

- 2 cardboard squares ( 30 cm

30 cm )

- blank piece of paper ( 28 cm
21.5 cm )
- ruler
- clear adhesive tape
- pencil
- string (or thread) about 20 cm long
- 2 pushpins


## What to Do:

1. Tape the cardboard squares on top of each other and tape the paper on top.
2. Draw a 20 cm line horizontally across the middle of the paper. Stick the two pushpins on the line about 5 cm apart. These two points are the foci (singular: focus).
3. Loop the string over the pushpins. Using the pencil, pull the thread outward over the paper.

4. Keeping the string tight, drag the pencil upright around the pushpins so that it draws a smooth line on the paper.
5. Put three dots on the ellipse at three different points and label them $\mathrm{A}, \mathrm{B}$, and C .
6. Measure the distance from each dot to one focus $\left(d_{1}\right)$ and then to the other focus $\left(d_{2}\right)$. Record the measurements in a table (like the one below) in your notebook.

| POINT | $\mathbf{d}_{1}$ | $\mathbf{d}_{2}$ | Sum Of Distances $\left(\mathbf{d}_{1}+\mathbf{d}_{2}\right)$ |
| :---: | :--- | :--- | :--- |
| A |  |  |  |
| B |  |  |  |
| C |  |  |  |

7. Add up the two distances from each point and record the sums in the table.

## What Did You Find Out?

1. What do you notice about the sum of the distances for each point on your ellipse?
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$\qquad$
$\qquad$
$\qquad$
$\qquad$
2. State what happens to the shape of the ellipse if you move the pushpins (foci):
(a) farther apart?
(2)
(b) closer together?
(2)
3. Calculate the sum of distances for another ellipse.

| POINT | $\mathbf{d}_{1}$ | $\mathbf{d}_{2}$ | Sum Of Distances $\left(d_{1}+d_{2}\right)$ |
| :---: | :--- | :--- | :--- |
| A |  |  |  |
| B |  |  |  |
| C |  |  |  |

4. Write a general rule for the sum of distances from any point on an ellipse.
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$\qquad$
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